



Leibniz  
Universität  
Hannover

**Oberseminar**  
**Institut für Algebraische Geometrie**

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**The standard conjecture of Hodge type for  
abelian fourfolds**

Let  $S$  be a surface,  $V$  be the  $\mathbb{Q}$ -vector space of divisors on  $S$  modulo numerical equivalence and  $d$  be the dimension of  $V$ . The intersection product defines a non degenerate quadratic form on  $V$ . The Hodge index theorem says that it is of signature  $(1, d - 1)$ . In the Sixties Grothendieck conjectured a generalization of this statement to cycles of any codimension on a variety of any dimension. In characteristic zero this conjecture is a consequence of Hodge theory but in positive characteristic almost nothing is known. Instead of studying these quadratic forms at the archimedean place we will study them at  $p$ -adic places. It turns out that this question is more tractable, thanks to  $p$ -adic Hodge theory. Moreover, using classical product formulas on quadratic forms, the  $p$ -adic result will give non-trivial informations on the archimedean place. For instance, we will prove the original conjecture for abelian fourfolds.

**Donnerstag, 15.04.2021**

**16:30 - 17:30**

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**Alle Interessierten sind herzlich eingeladen.**