



Leibniz  
Universität  
Hannover

**Oberseminar**  
**Institut für Algebraische Geometrie**

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**Metric aspects of the Ceresa cycle.**

When  $C$  is a smooth projective connected complex curve of genus  $g > 1$ , the Ceresa cycle associated to  $C$  is the cycle  $C - C^-$  in the jacobian  $J$  of  $C$ . The Ceresa cycle is homologically trivial and hence, by an Abel-Jacobi type construction due to Griffiths, it gives rise to a point in a higher intermediate jacobian associated to  $J$ . The Griffiths Abel-Jacobi construction varies well in families and gives rise to a “normal function” on the moduli space of curves  $M_g$ . This normal function in turn gives rise to an interesting smoothly metrized holomorphic line bundle on  $M_g$ , called the Hain-Reed line bundle. We study the degeneration behavior of this metrized line bundle near the boundary of  $M_g$  in the Deligne-Mumford compactification, and answer a question of Hain. Following Hain we discuss a relation with slope inequalities for families of curves. Joint work with Farbod Shokrieh.

**Dienstag, 05.10.2021**

**11:15 - 12:15, Raum f102**

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**Alle Interessierten sind herzlich eingeladen.**